

# Graphical Displays of Data

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# Frequency Distributions: A Chart of a Different Color

- This is the first step in analyzing data.
- Summarizes data visually to give us a sense of how the data are distributed.
- Check data for coding errors
- Most common types of frequency tables are:
  - Frequency
  - Percentage
  - Combination

# Frequency Distributions

A Frequency Table should have 3 BASIC ELEMENTS

- 1 The complete set of levels or values that define the variable
- 2 A record of the frequency (number of individuals) in each level or value associated with the variable.
- 3 Percentage of individuals that fall into each level or value of the variable.

# Conventions for Building Distributions

- Title or distribution explains contents
- Variable(s) in table
- Shows data distribution
- Categories in stub of distribution
- Use column headings
- Relevant columns are totaled
- Footnotes added if needed

# Frequency Distributions

Created by:

- Listing category
- Tallying number of observations that fit

Scores:

1,1,2,2,2,2,2,3,3,3,3,4,4,5

Score	Frequency
1	2
2	5
3	4
4	2
5	1

# Percentage Distributions (PD)

- Created by:
  - Dividing cell frequency by total number of cases and multiplying by 100
- Allows comparisons between similar data sets of different sizes.

# Percentage Distributions (PD)

In Addition to the Frequency of each value, researchers want percentages:

- Percent is calculated by using the frequency divided by the total INCLUDING THE MISSING.
- Valid Percent is calculated by using the frequency divided by the total EXCLUDING THE MISSING.
  - If there are missing data, the percent and valid percent columns will be different. If there are no missing data, both columns will match perfectly.
  - When there are missing data, the frequency table will have to values for n. One with the missing data and one without the missing data.

# Percentage Distributions Continued

- Cumulative Percent is calculated by summing the valid percent contribution to “n” for the category and above.



# Frequency Distribution

A Typical frequency distribution table for the variable “residential area”

- 1 All the levels of residential area (Urban, Suburban, and Rural) that define the variable are in the first column.
- 2 The frequency associated with each level are in the second column.
  - The number of times each value occurred in the data
- 3 The percentage associated with each level is in the third column.
- 4 The Valid percent is in the fourth column.
- 5 The Cumulative percent is in the fifth column.

# Frequency Table Example

Residential Area

	Frequency	Percent	Valid Percent	Cumulative Percent
Valid	Urban	123	24.6	24.6
	Suburban	215	43.0	67.6
	Rural	162	32.4	100.0
	Total	500	100.0	100.0

# R Example

- Read in the Rikers 1989 data set.
- Run frequencies for the following variables using the `table()` function:
  - SEX [*sex*]
  - DEF FIRST ARREST? [*firar*]

# Graphical Representation of Frequencies

- Pie charts
- Bar charts
- Histograms

# Pie Charts

- Most basic graph type
- Best for nominal data with few categories
- Depicts N
  - Relative size of categories is displayed in terms of “slices” .
- **Only** use with:
  - Nominal data with few categories
  - Ordinal data with few categories

# Pie Chart Example

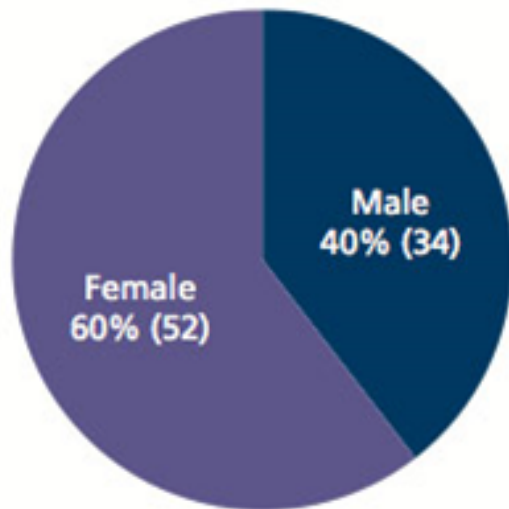


Figure: Pie Chart

# R Example

- Read in the Rikers 1989 data set.
- Create a pie chart for the following variables:
  - SEX [*sex*] and
  - DEF FIRST ARREST? [*firar*]

# Histograms and Bar Charts

- Histograms and bar charts both use the length of bars to display the relative size of categories.
- Represent frequency distribution plot of:
  - Categories/variable on one axis (usually X)
  - Responses as bars on the other axis (usually Y)
- Bar length can represent the frequency or percentage of that category.



# Histograms and Bar Charts

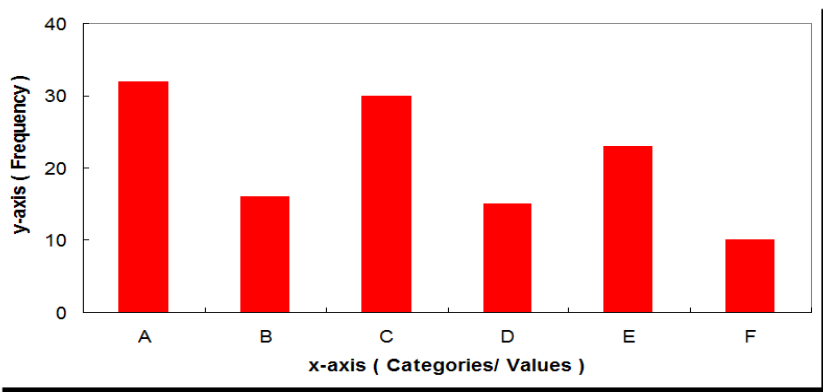
When constructing:

- Y axis starts at Zero and uses equal intervals to the maximum.
- X axis generally starts at Zero and is
- Use proper labeling, legend, and footnotes
- Build on equal class intervals (if grouped)
- Total frequency should equal “N”

# Bar Charts

- Bar charts are used with nominal or ordinal level data
- Bars of a Bar Chart are separated
  - Shows category/variable division
- Separated bars show lack of continuity
- Can be oriented horizontally or vertically
- Nominal variables often placed in horizontal bar chart for emphasis

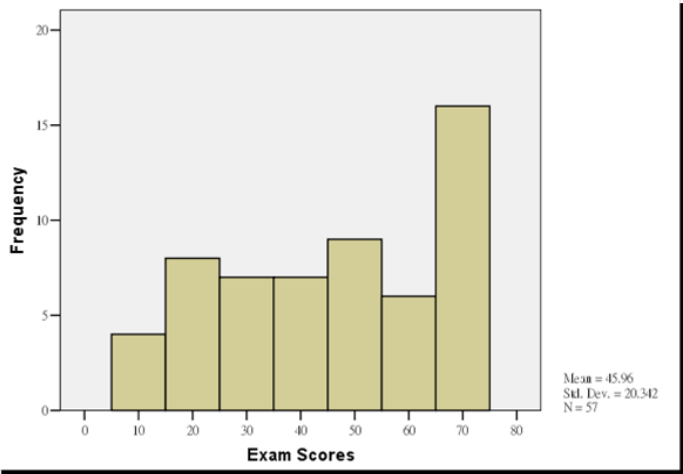
# Bar Chart Example



# Histograms

- Histograms are used with: Interval and Ratio level data
- Bars of the histogram are connected showing the continuity of the data

# Histogram Example



# R Example

- Read in the Rikers 1989 data set.
- Create a bar chart for sex and defendant's first arrest:
  - SEX [*sex*] and
  - DEF FIRST ARREST [*firar*]
- Create a histogram for defendant's age:
  - Age [*age*]

# Proportions, Rates, and Percentages

To address the problem of unequal group sizes, we can convert the raw frequencies to:

- 1 Proportions
- 2 Rates
- 3 Percentages

# Proportions

Proportions represent the fraction of all observations that fit in a category and have a value between 0 and 1.

- To calculate a proportion, divide the number of the observations in the category by the total number of observations.
- For example, if there are ten people and four of them are men, to find the proportion of men in the group, divide four by ten.
- $$\frac{N_{category}}{N_{total}} = \frac{Men}{Total\ People} = \frac{4}{10} = 0.40$$



# Rates

Rates represent the number of observations of a category per unit population.

- To calculate a rate, multiply the proportion by the desired unit population.
- For example, to calculate the rate of men per 100,000 population, multiply the proportion (0.40) by the desired unit population (100,000).
- $Proportion * Unit\ population = 0.40 * 100,000 = 40,000\ per\ 100,000$

# Percentages

Percentages are a special type of rate and represent the number of observations of a category per unit population of 100.

- To calculate a percentage, multiply the proportion by 100 as your unit population.
- For example, to calculate the percentage of men, multiply the proportion (0.40) by the desired unit population (100).
- $Proportion * Unit\ population = 0.40 * 100 = 40\ per\ 100\ or\ 40\%$

# Conclusion

- Graphical representation can be an effective way to examine, interpret, and communicate data.
- Frequency distributions show how data are arranged
- Graphical representation should not replace interpretation and analysis
- Charts need supporting discussion